

Bacterial chemotaxis in nutrient replete environments

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From Jan 2020 in Stanford

Physics LMU Munich

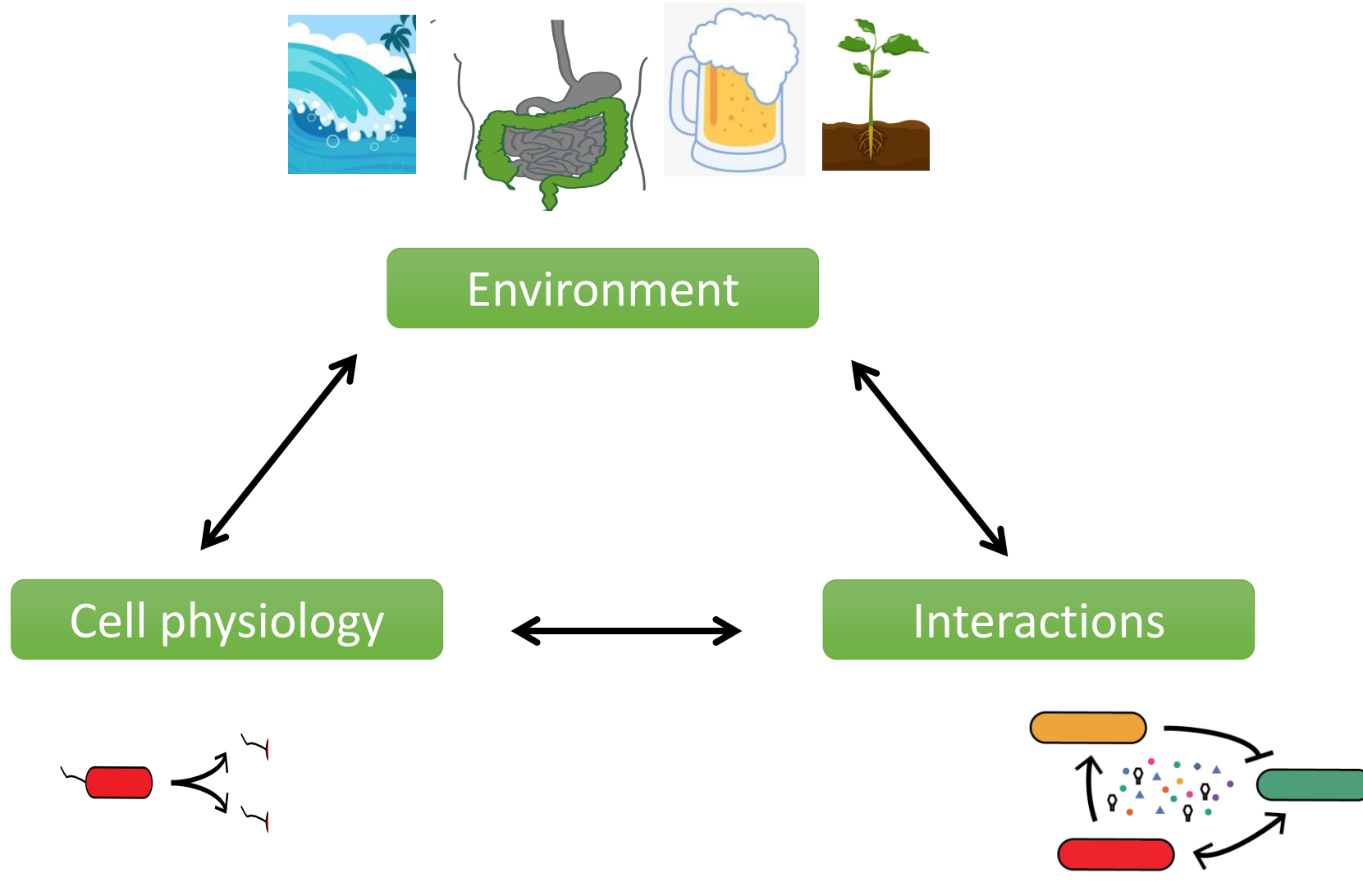
November 2019

www.bacterialphysiology.com

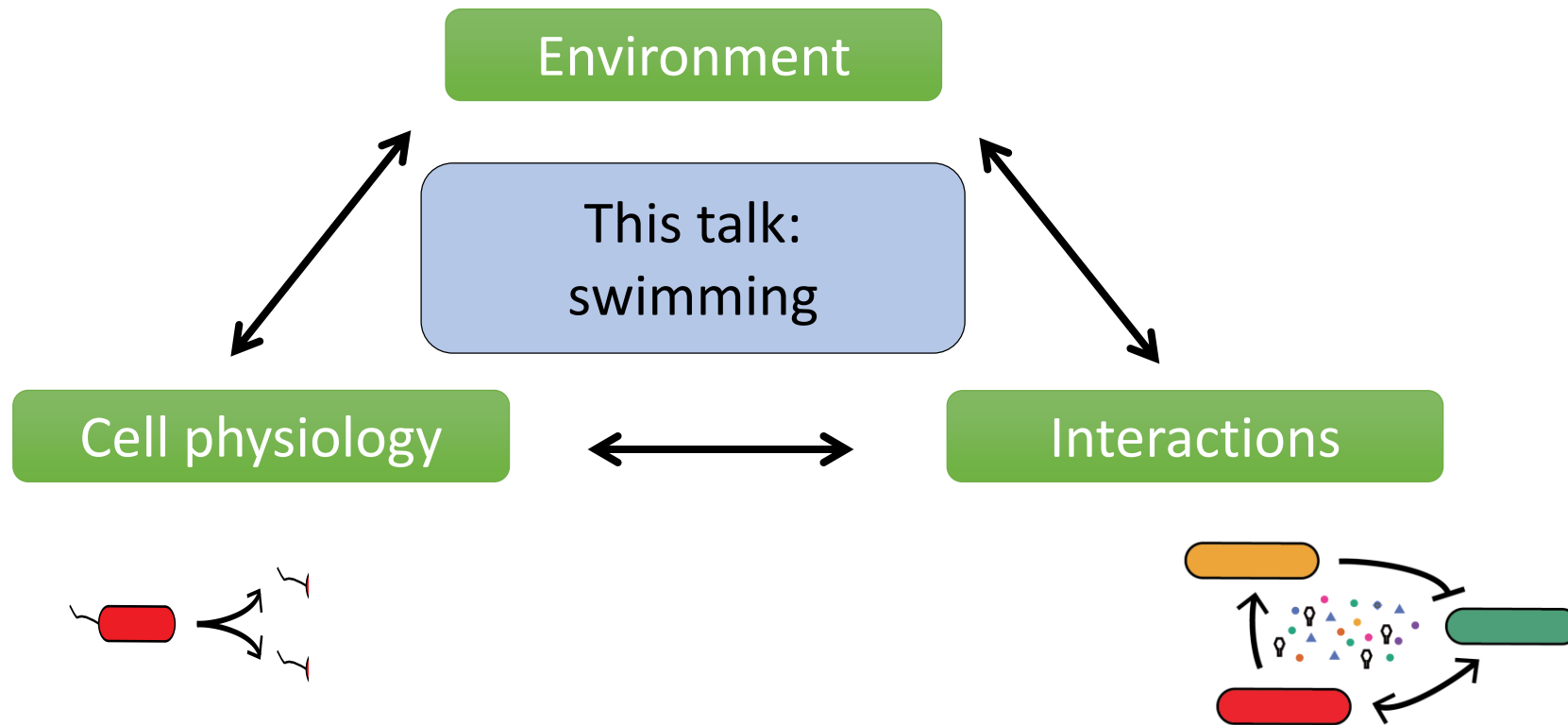
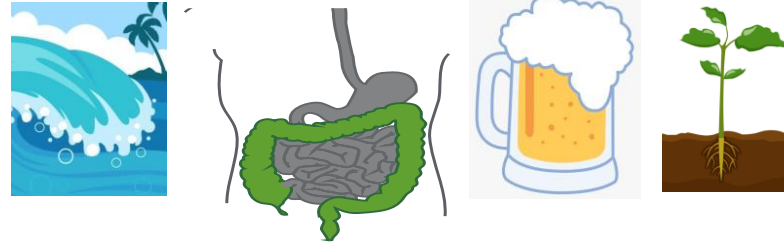
Postdoc positions available!



Microbes and their communities



Microbes and their communities

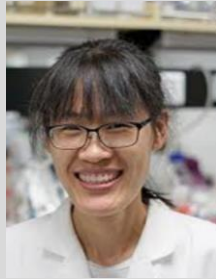


Acknowledgements

Chemotaxis



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Bacterial physiology

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Luis Rubio San Millan
(EEZ Granada)

Biofilms

Alberto Reinders
(Basel)

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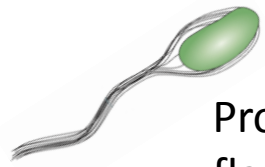


BILL & MELINDA
GATES foundation



Bacterial chemotaxis: sensing and movement along gradients

Bacteria swim

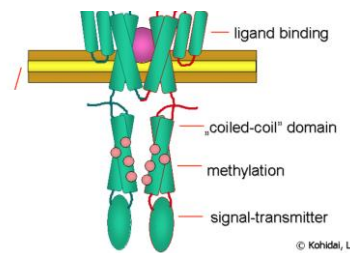


Propulsion by
flagella-rotation

Bacteria sense

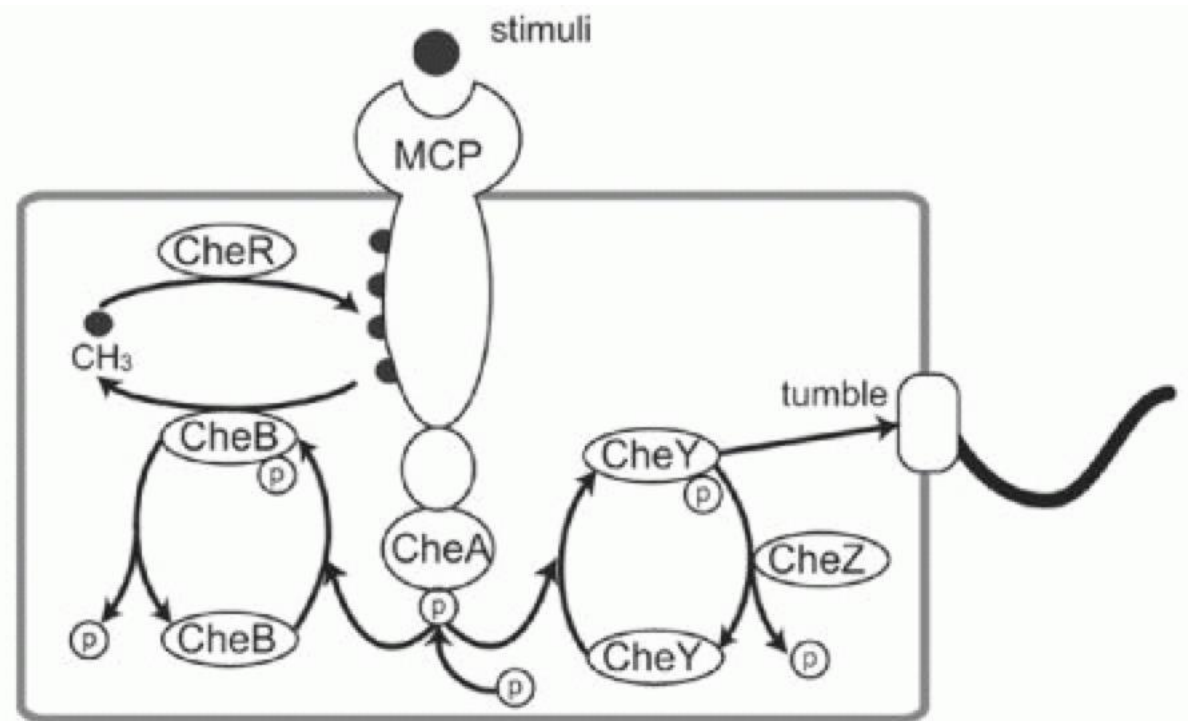
For E.coli:

- amino acids
- oxygen
- carbohydrates
- ...



aspartate receptor

Bac



Chemotaxis

What is the physiological role? Advantage of chemotaxis for bacterial cells and populations?

Chemotaxis is occurring on the population level

Environment sets gradients

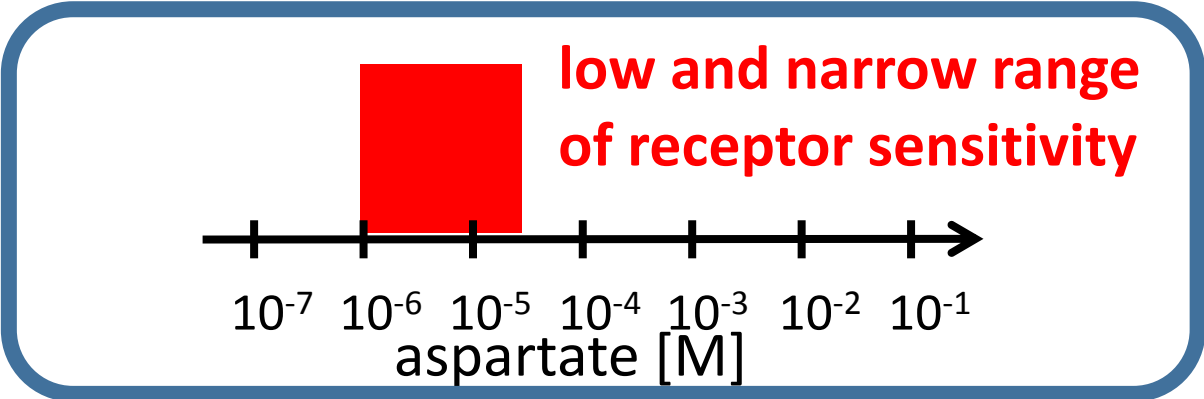


Population sets gradients



attractants (AA, sugars, oxygen) are consumed

Consider aspartate:



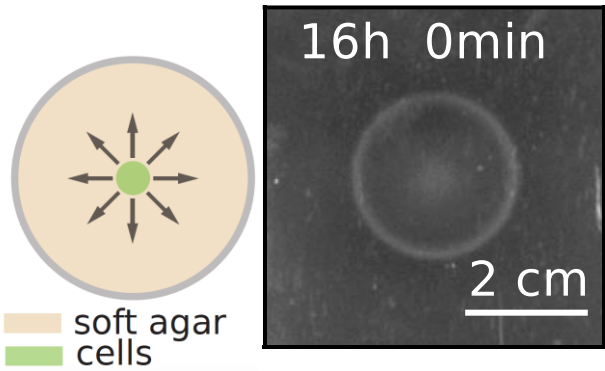
+

high uptake rate
1/1000th of volume occupied by bacteria (OD 1): Detectable range consumed within ~second

→ Bacteria shape the gradients they sense

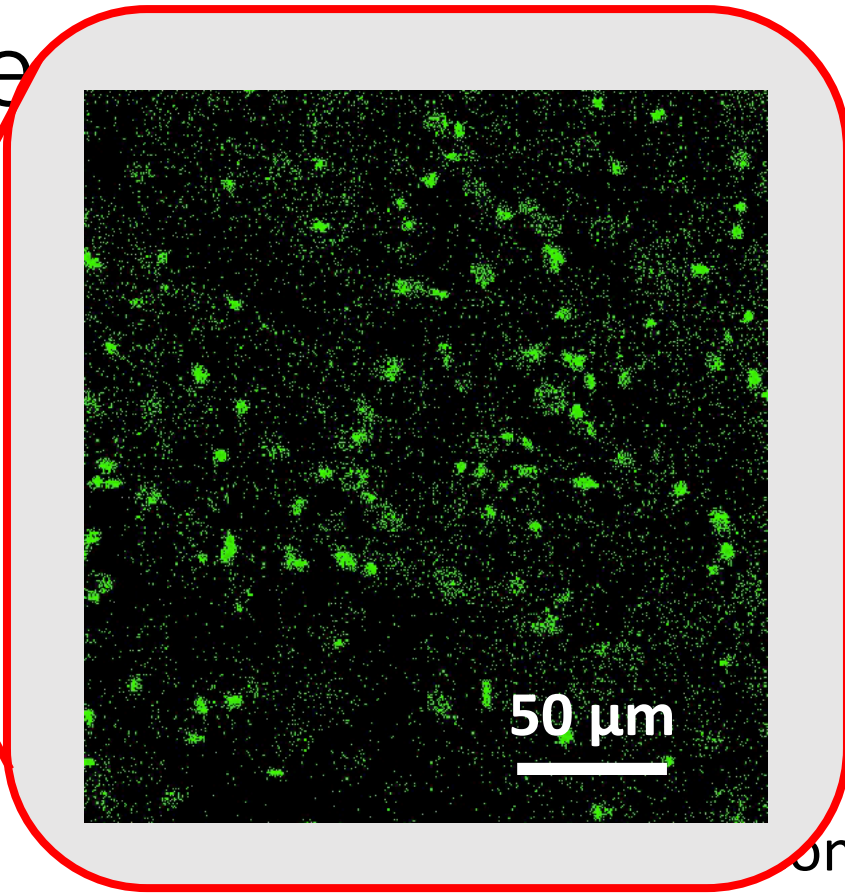
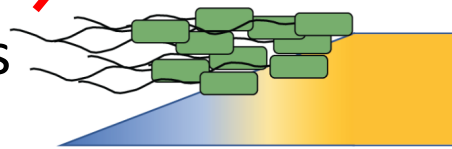
Colony expansion of che

observation in soft-agar: “ring-assay”



E.Coli K-12; growth condition: glycerol +

Chemotaxis
along gradients



conditions /
physiological state of cells

Many experimental and theoretical studies

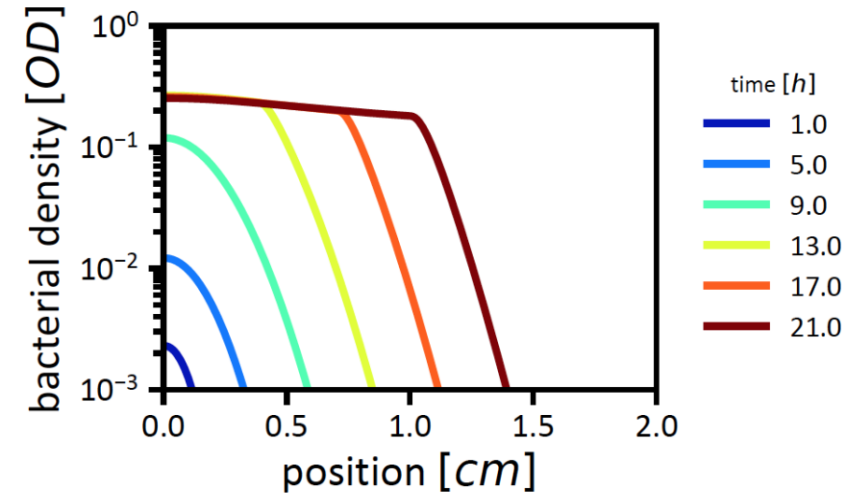
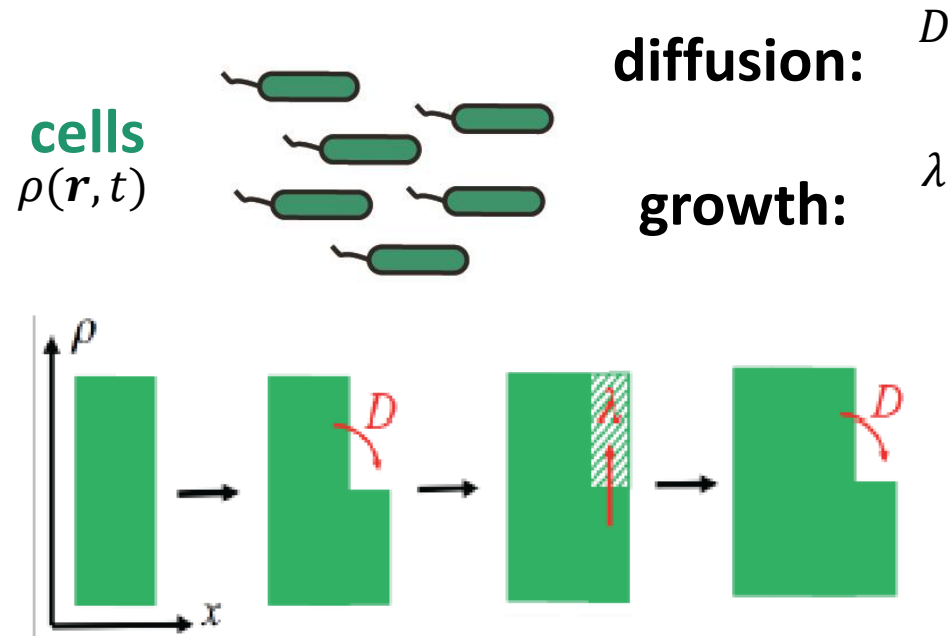
- [Keller & Segel, 1971][Lauffenburger, 1984][Jiang et al 2010]
- [Saragosti et al, 2011] [Koster et al 2012] [Waite et al 2016]
- [Baym et al 2016][Yi & Dean, 2016][Fraebell et al. 2017]
- [Brenner et al, 1998][Saragosti et al, 2010]

Let's understand a simpler scenario first:
population expansion without chemotaxis

Modeling expansion without chemotaxis

- No attractant: undirected run and tumbling
- Cell growth

Model predictions:



expansion speed: $u_{FK} = 2\sqrt{D \cdot \lambda}$

slope expansion front: $k = \sqrt{\frac{D}{\lambda}}$

Fisher-Kolmogorov dynamics

$$\partial_t \rho = D \Delta \rho + \lambda \rho (\rho_{max} - \rho)$$

[Fisher 1937, Kolmogorov et al, 1937]

[Andow et al, 1990, Hallatschek et al, 2007, Korolev et al 2012, Gandhi et al 2016] and others

Can we confirm Fisher-Kolmogorov dynamics for swimming bacteria?

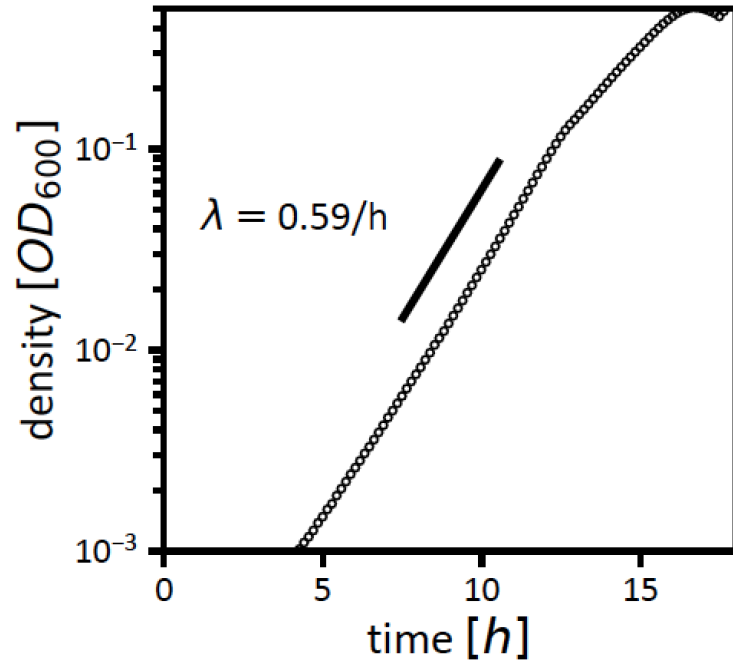
Experimentally: growth in glycerol (not an attractant)

Need to measure cellular diffusion and growth to test predictions

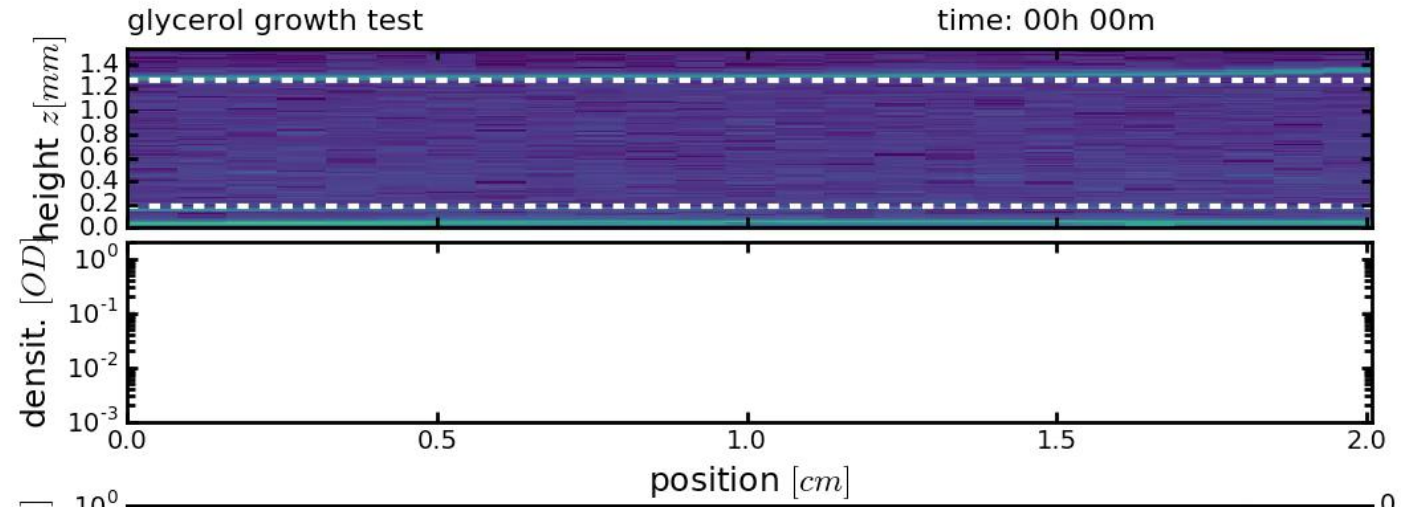
expansion speed: $u_{FK} = 2\sqrt{D \cdot \lambda}$

slope expansion front: $k = \sqrt{\frac{D}{\lambda}}$

Determine growth rate



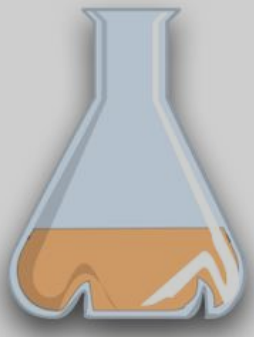
condition: glycerol, no attractant



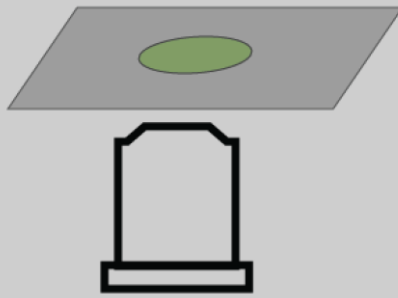
→ Growth rate λ : 0.59 1/h

Side remark: Growing cells swim

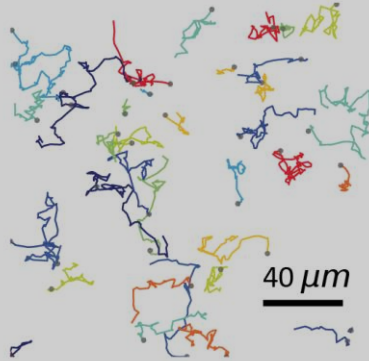
Measure swimming speeds for different conditions



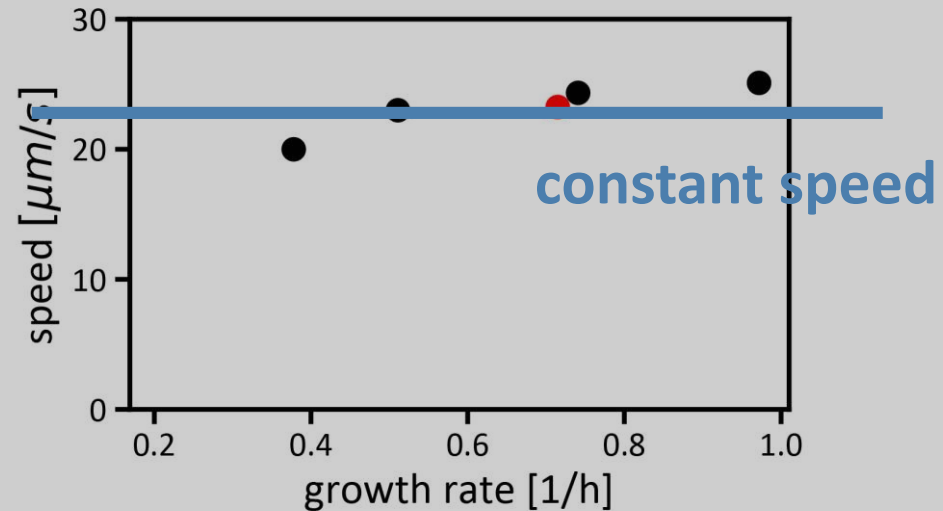
batch
culture



microscopy



trajectory analysis

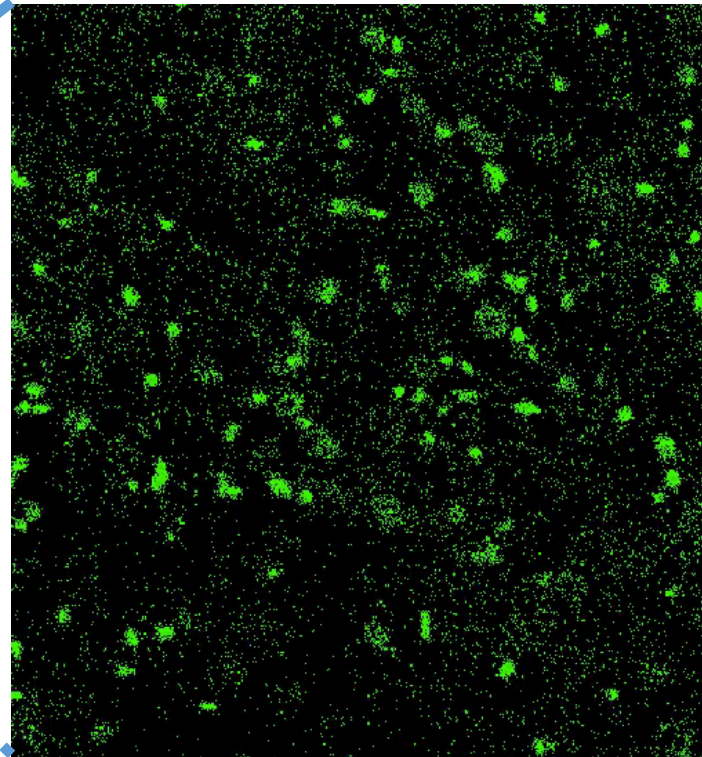
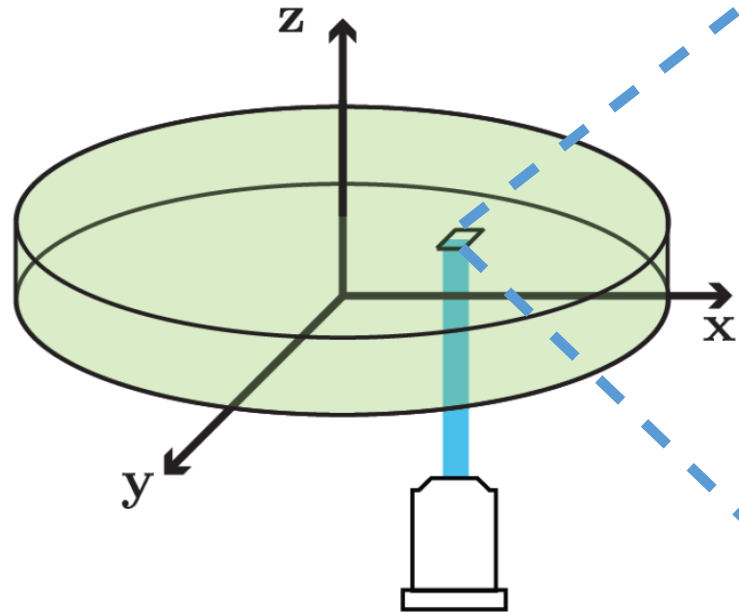


- **Growing cells swim with constant speed, independent of exact growth condition**
- Active regulation of swimming behavior

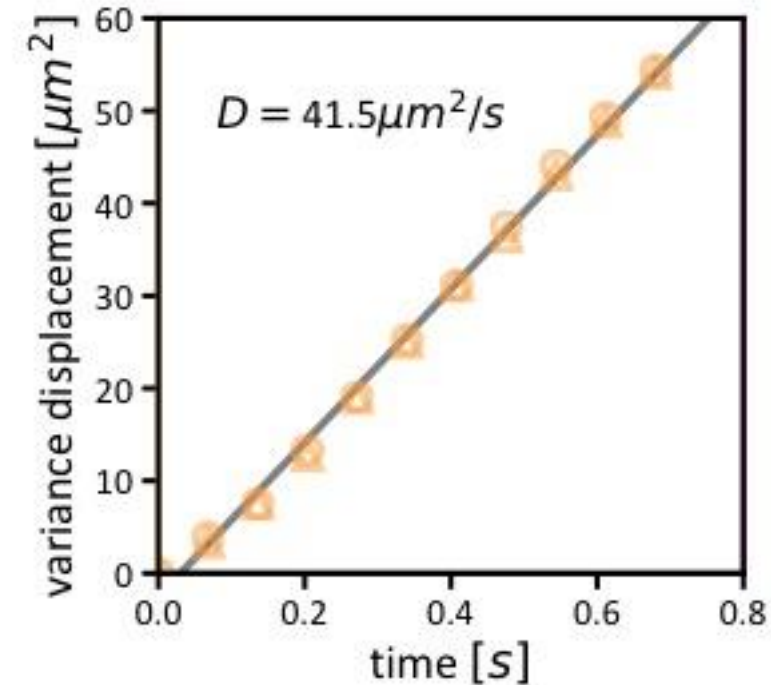
Determine effective diffusion: direct measurement in soft-agar

200 x 200 μm

cells in soft-agar



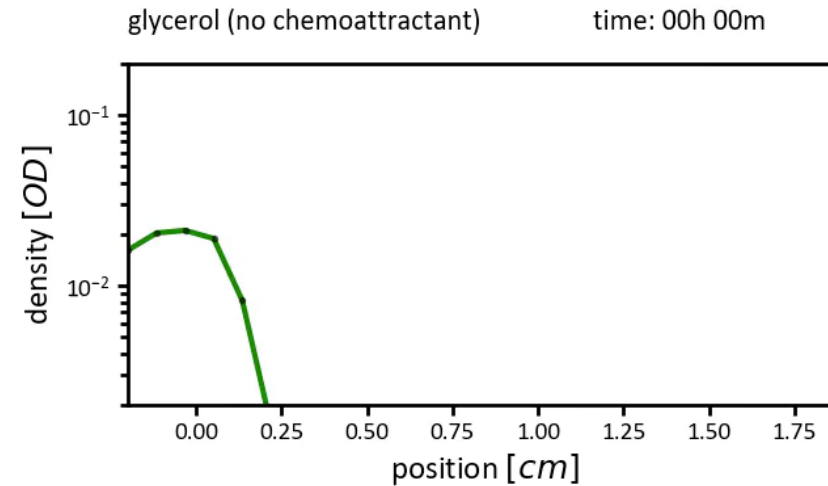
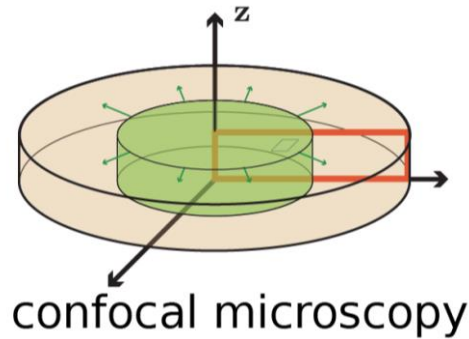
→ Diffusion D : 42 $\mu\text{m}^2/\text{s}$



growth in glycerol

Observed expansion without chemotaxis follows Fisher-Kolmogorov dynamics

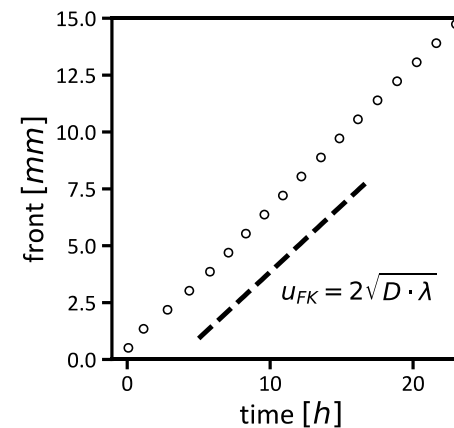
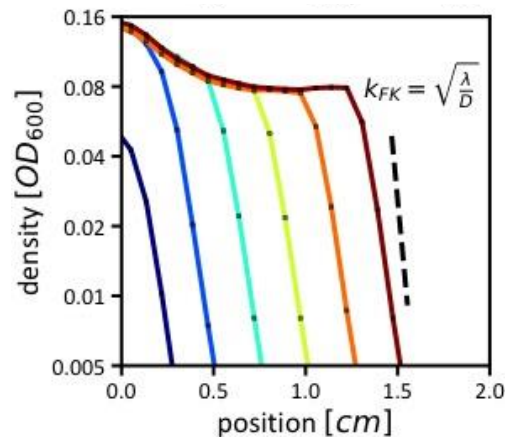
Observing expansion



quite fast expansion
0.9 mm/h

Colony of non-motile cells:
0.1 mm/h

Comparison with theoretical prediction



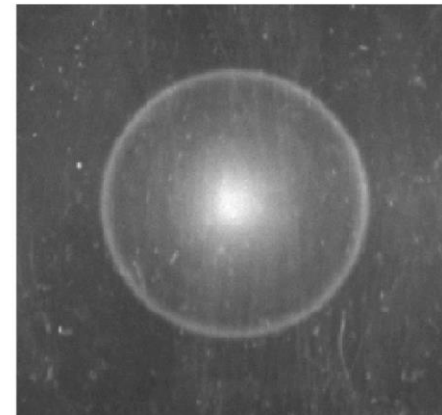
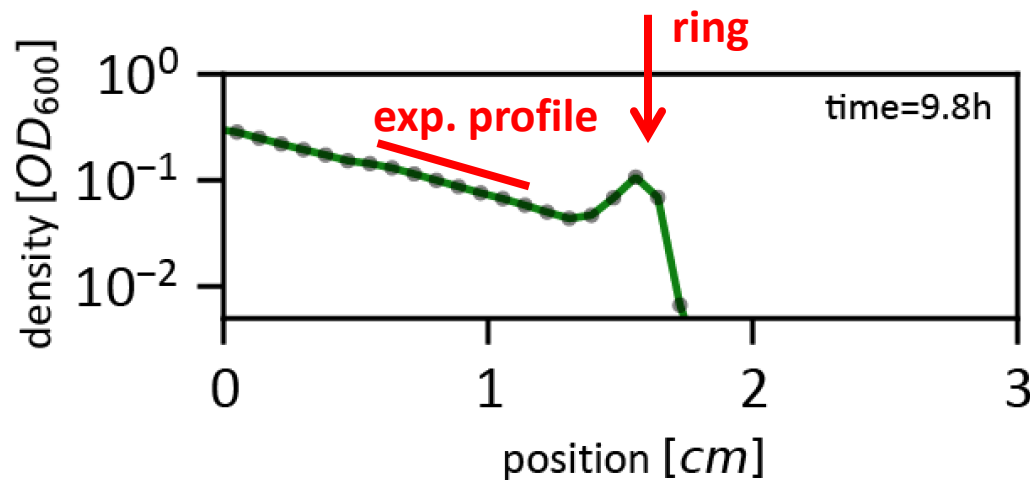
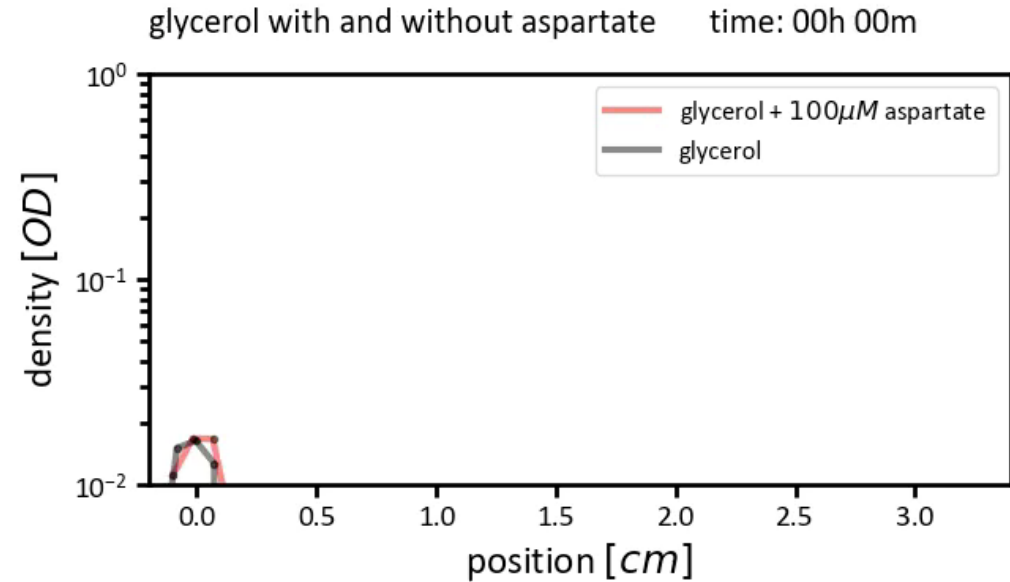
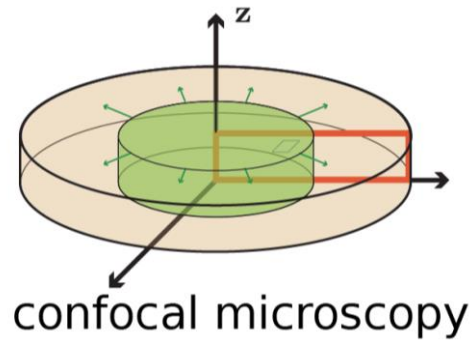
Fisher-Kolmogorov
describes expansion

Back to chemotaxis

Experimentally: glycerol + aspartate

Expansion with chemotaxis: ring and exponential trailing profile

Observing expansion



fast expansion:
3.7 mm/h

FK: 0.9 mm/h
Colony: 0.1 mm/h

A new model to describe chemotactic expansion

nutrients

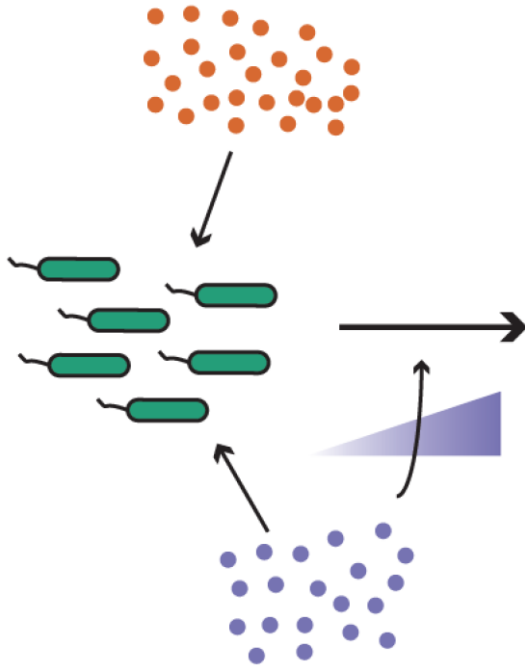
$n(\mathbf{r}, t)$

cells

$\rho(\mathbf{r}, t)$

attractant

$a(\mathbf{r}, t)$



$$\partial_t n = -\frac{\lambda(n, a)}{Y} \rho + D_n \Delta n$$

$$\partial_t \rho = -\nabla[\mathbf{v}\rho] + D\Delta\rho + \lambda(n, a)\rho$$

$$\mathbf{v} = \chi_0 \nabla \log \left[\frac{1 + a/a_-}{1 + a/a_+} \right] \approx \chi_0 \frac{\nabla a}{a}$$

$$\partial_t a = -\mu\rho + D_a \Delta a$$

in sensible range

Crucial modifications of previous models:

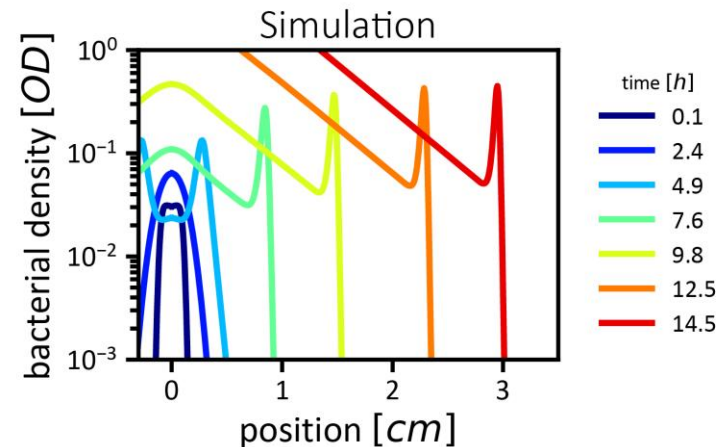
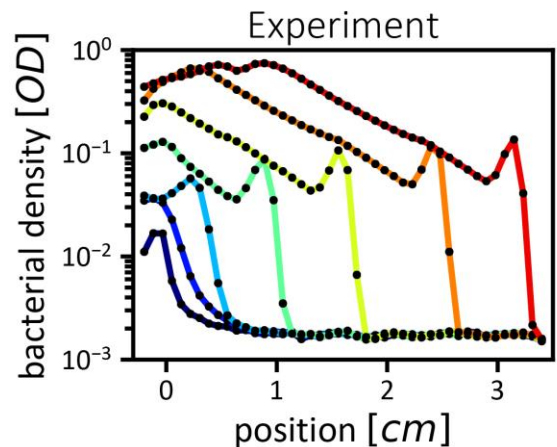
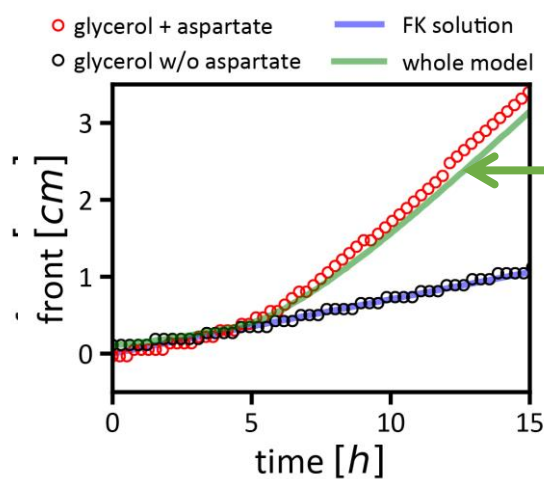
- Includes cell growth
- Separation between nutrient and attractant field

Only one fitting
parameter:

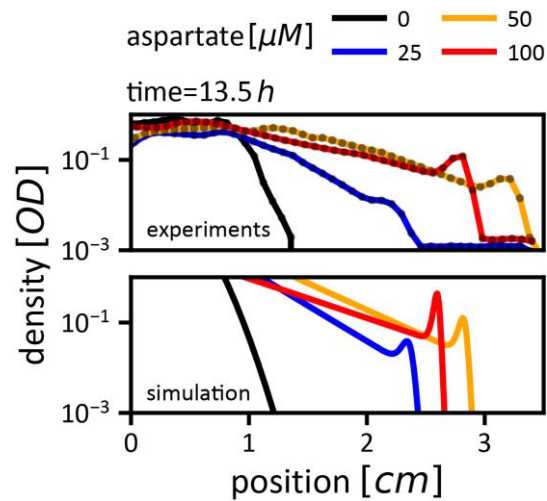
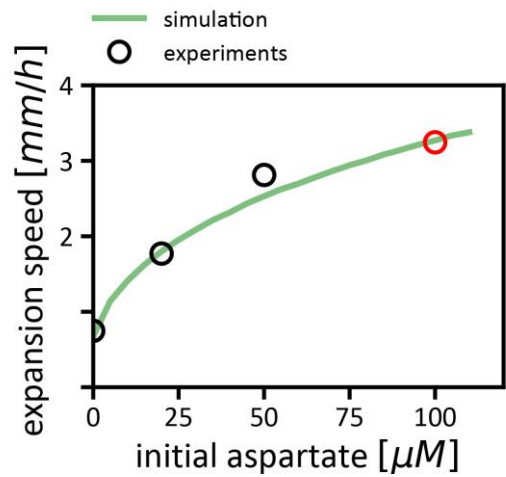
χ_0

Model predicts expansion dynamics

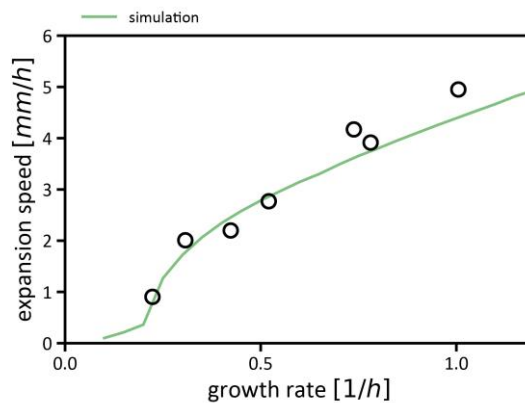
Reference condition: glycerol + aspartate



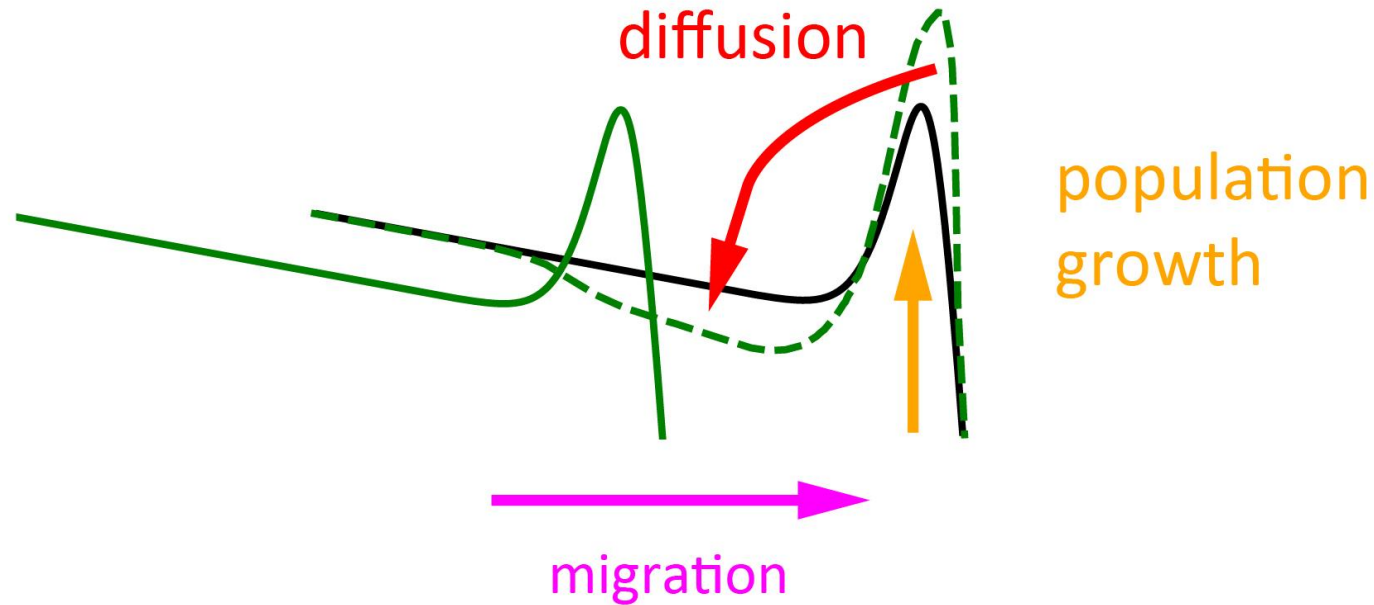
Change in chemoattractant concentration



Change in growth rate

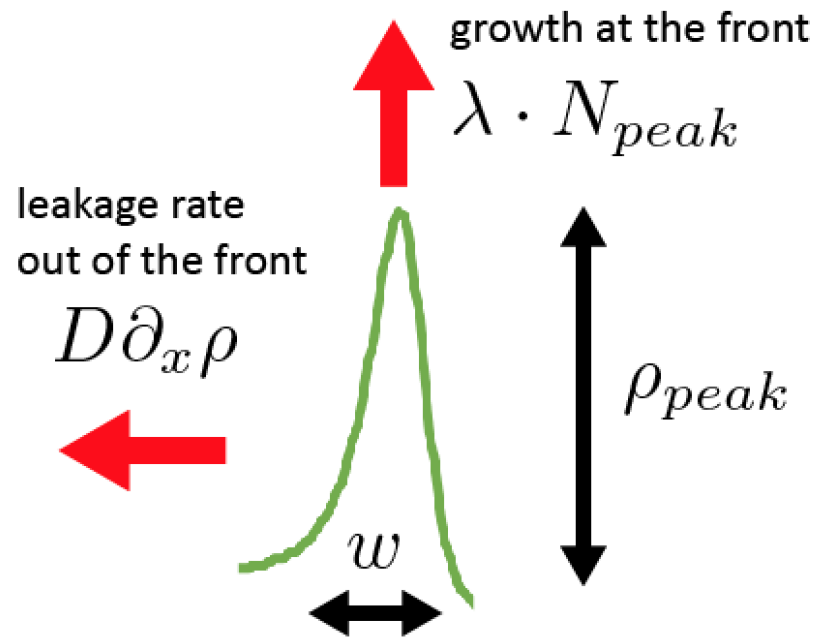


Mode of expansion dynamics



- Growth at front is balanced by diffusion to the back.
- This leads to an efficient seeding of the trailing region
- Growth at the trailing region leads to an exponentially increasing profile

A scaling theory of chemotactic expansion



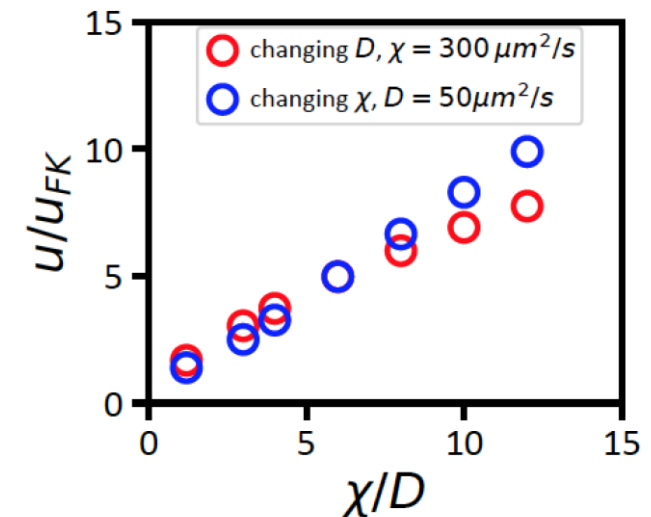
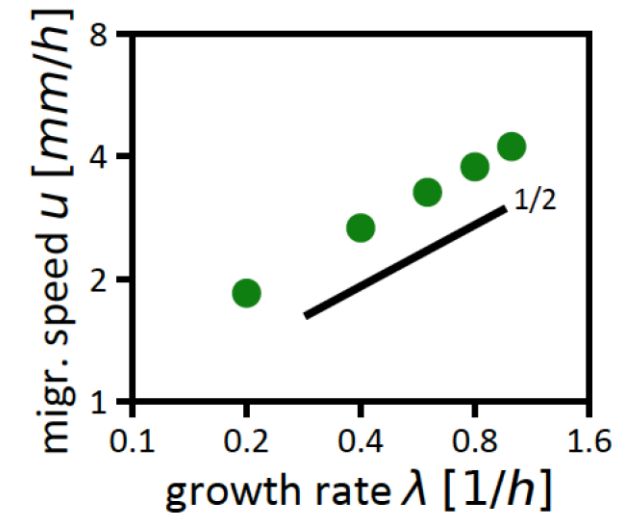
$$N_{peak} \sim \rho_{peak} \cdot w$$

$$\lambda \cdot N_{peak} \sim D \cdot \rho_{peak} / w$$

$$u \sim \chi / w$$

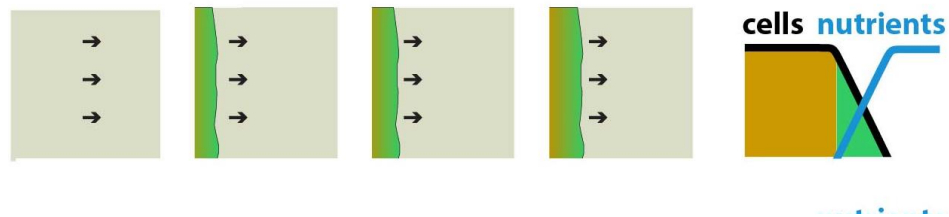
$$u \sim (\chi / D) \sqrt{D \cdot \lambda}$$

→ Chemotactic range expansion boost expansion speed

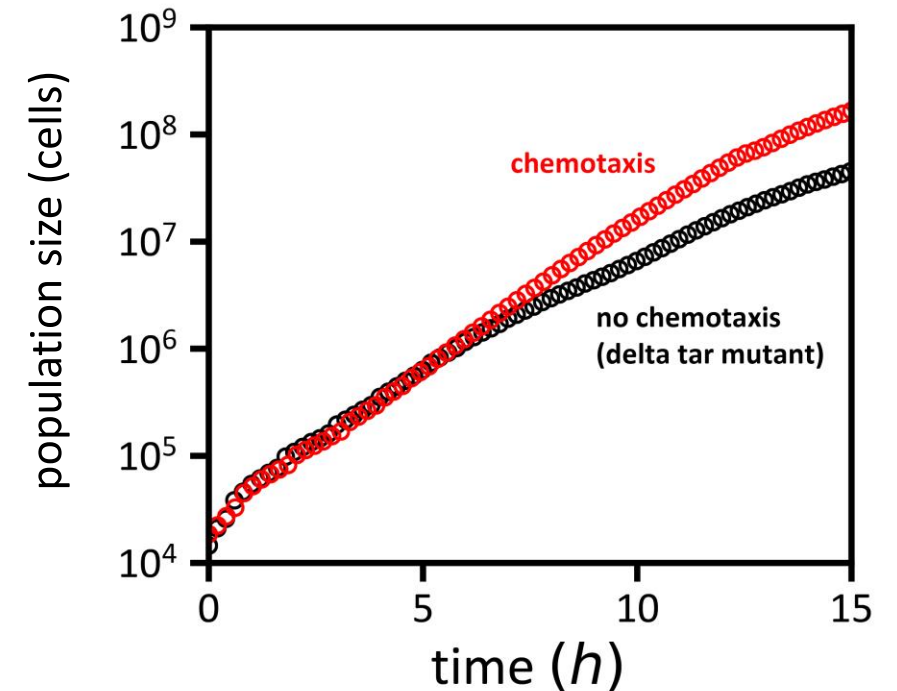
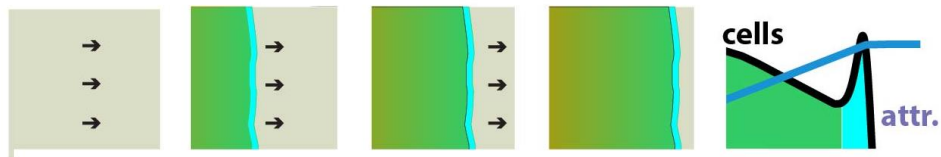


Summary: Chemotaxis as growth strategy to thrive in nutrient-replete environments

unguided range expansion (FK)



navigated range expansion (chemotaxis)



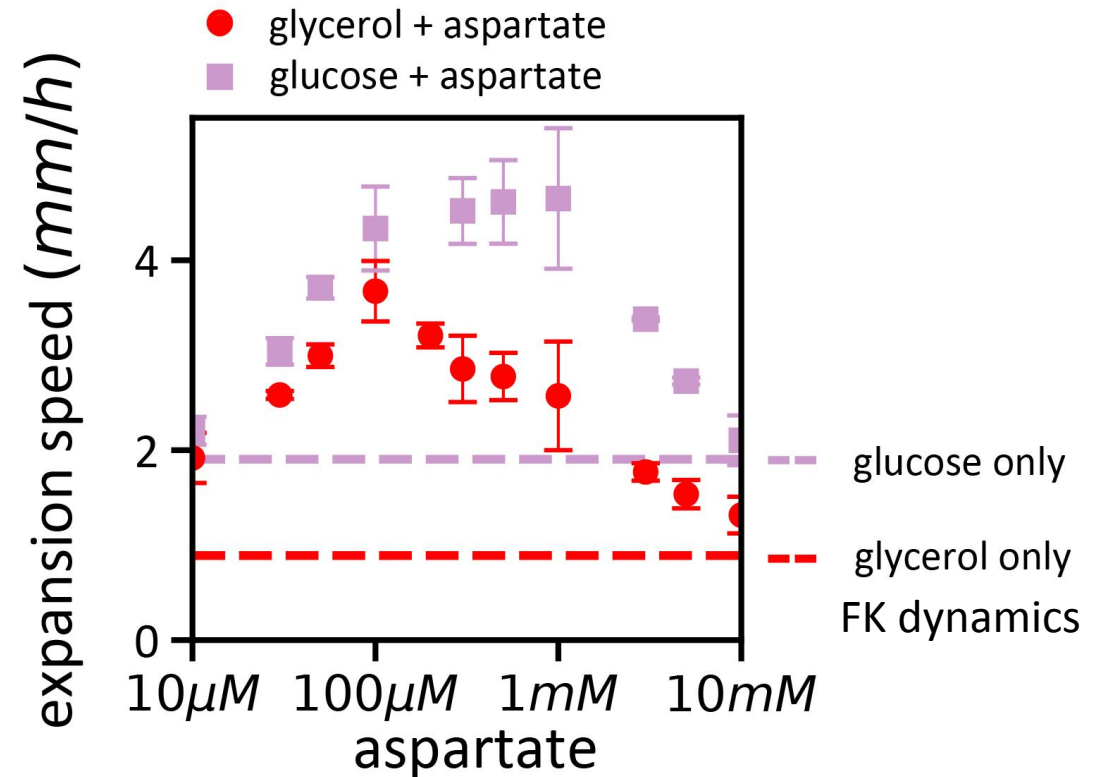
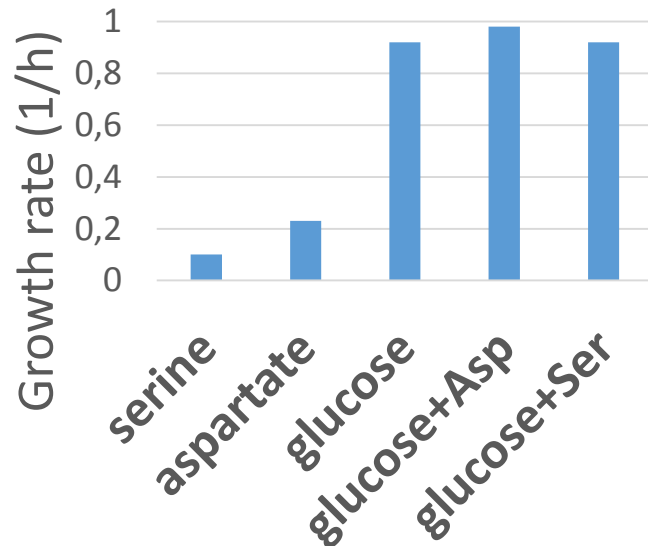
Chemotaxis leads to fast expansion via self-generated gradients and is an efficient strategy to grow in nutrient replete environments

Non-nutritious attractants as cues for navigated range expansion

- A nutrient alone which can be sensed is only weakly increasing expansion speed:

$$u \sim \sqrt{\chi \cdot \lambda}$$

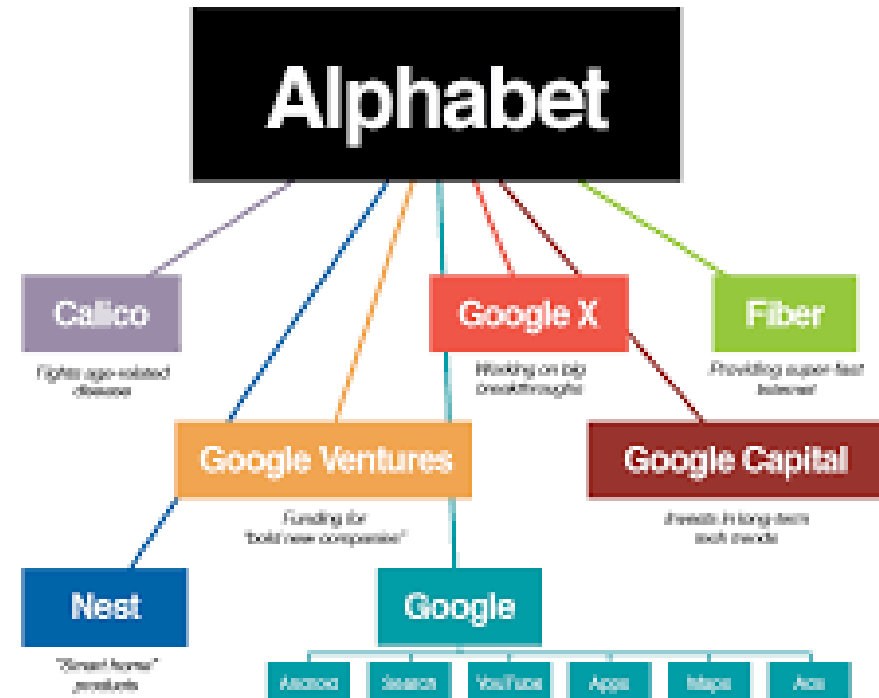
- Separation of nutrient and attractant speeds up migration: $u \sim \chi \cdot \sqrt{\lambda}$
- Good attractants are not good nutrients but rather cues to boost range expansion.



Oversimplified summary

Canonical hypothesis: nutrient foraging during starvation

Alternative (non-exclusive) hypothesis:
range expansion during good growth conditions (diversification)



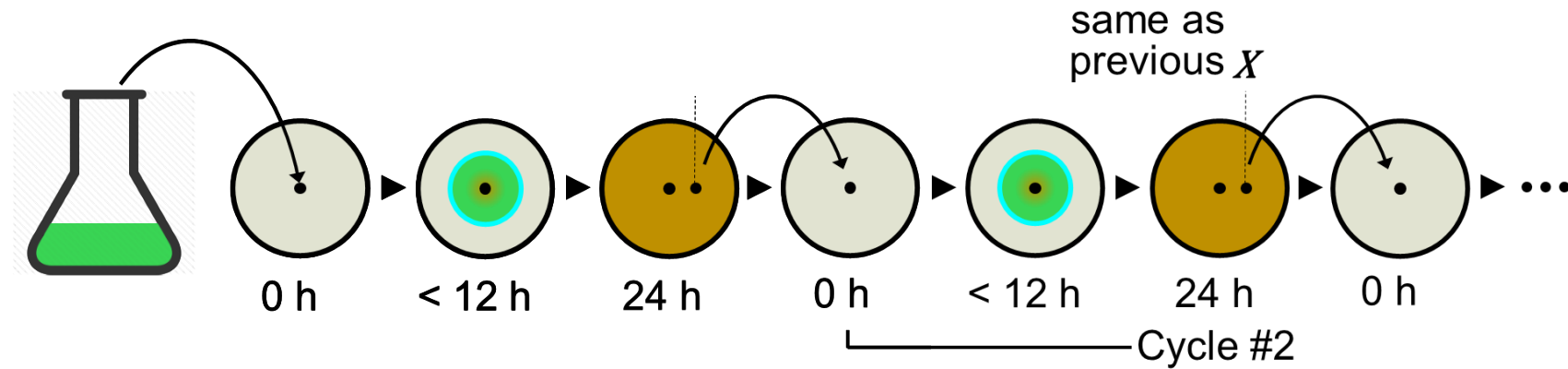
Is there an optimal swimming speed and expansion behavior?

If expansion via chemotaxis increases population growth:

Why are cells not expanding even faster?

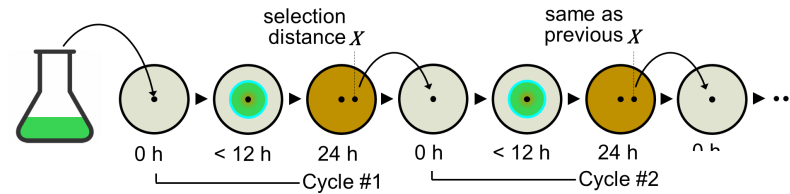
Evolutionary study of swimming behavior

Introduce space dependent selection

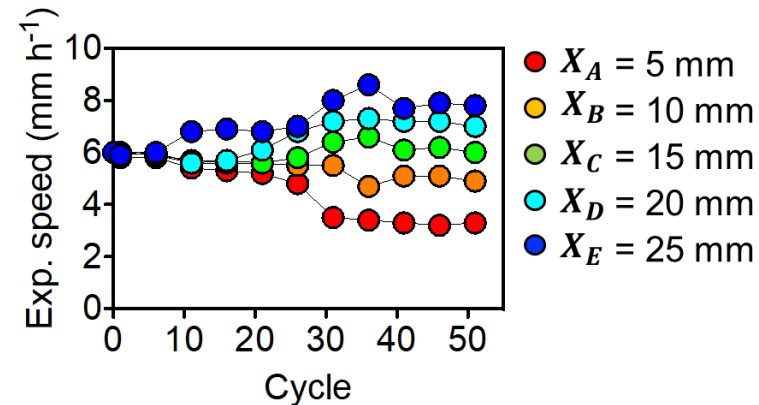


Evolutionary study of swimming behavior

Introduce space dependent selection



Evolution depends on selection distance



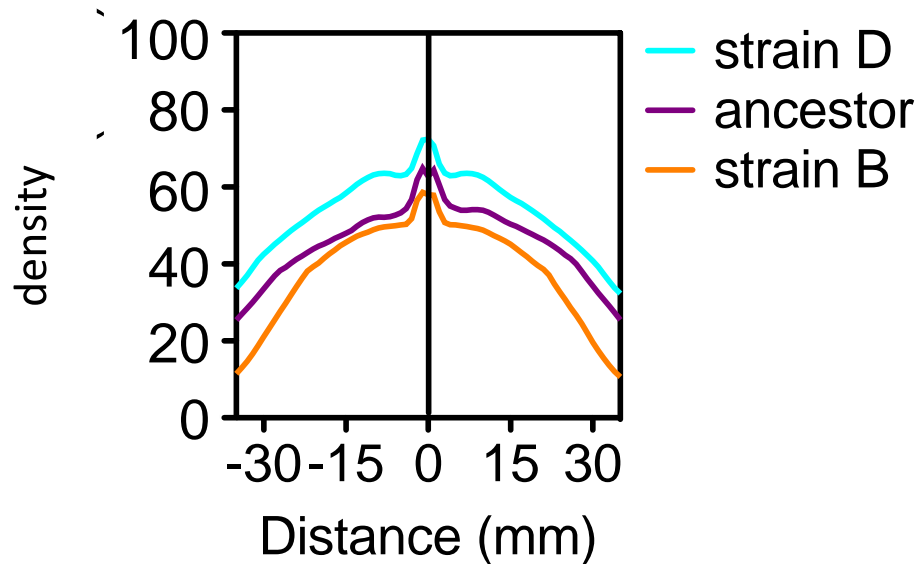
Fast swimming is not always good: optimal swimming depends on typical habitat size cells encounter

Liu, Cremer, Li, Hwa, Liu. Nature (2019)

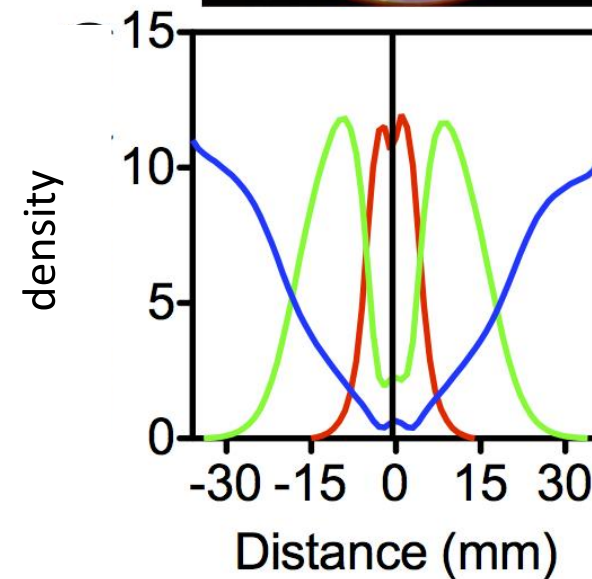
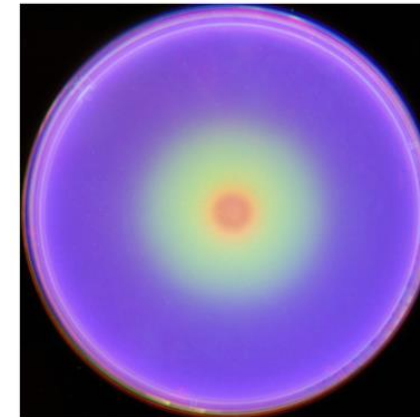
Competition drives local abundance and selection dynamics

Separate expansion

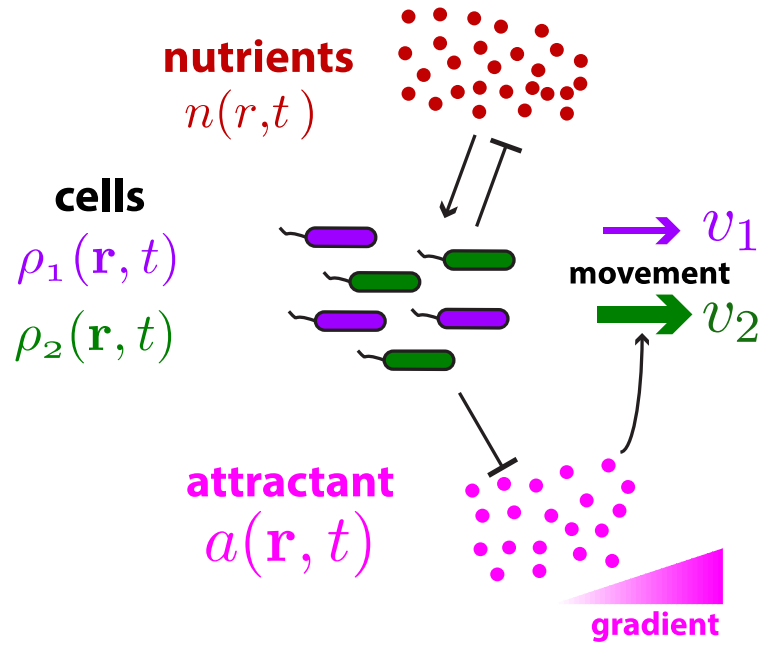
	strain	ES (mm/h)	GR (1/h)
fast	str. D	7.02	1.96
	anc.	5.92	1.98
slow	str. B	4.32	1.92



Direct competition



Modeling dynamics



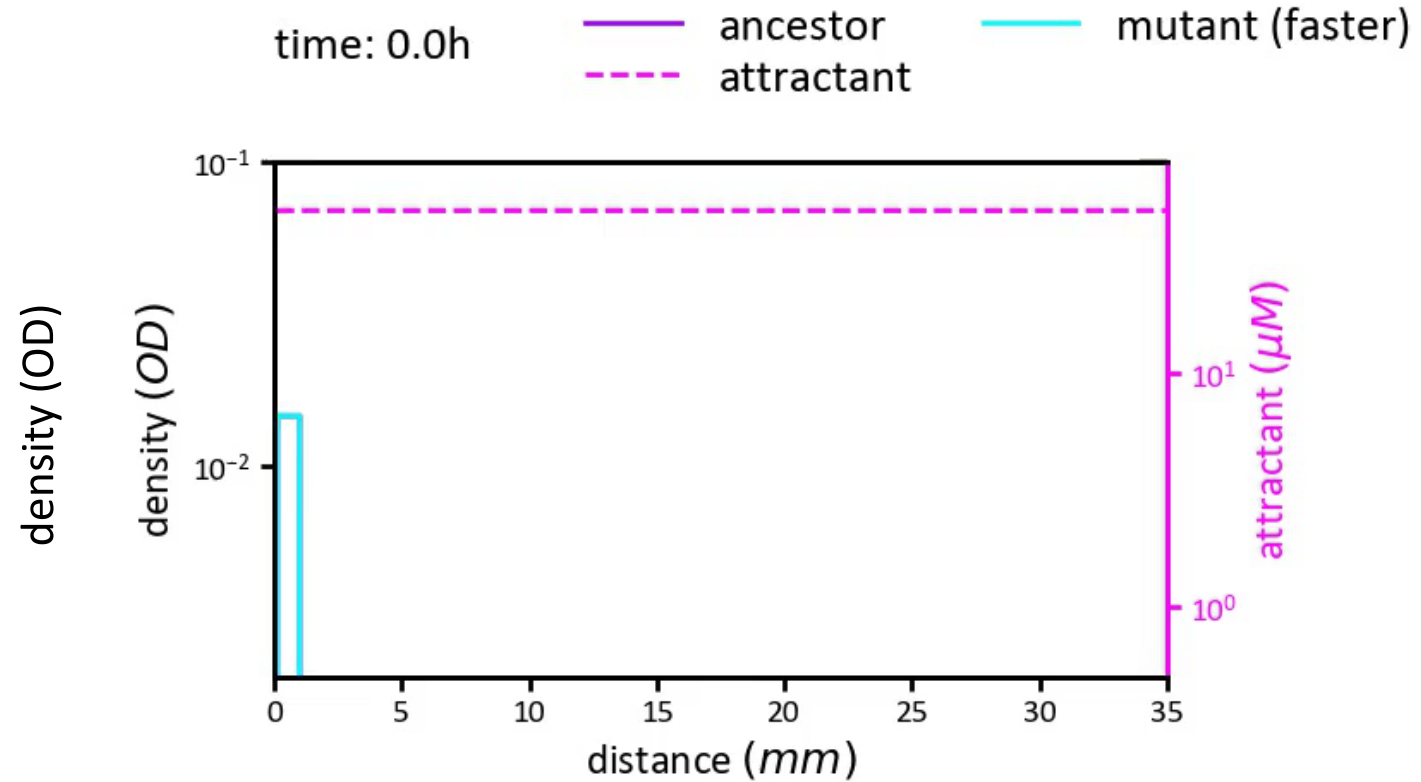
$$\partial_t \rho_1 = D_1 \Delta \rho_1 - \nabla \cdot (v_1 \rho_1) + \lambda(n) \cdot \rho_1$$

$$\partial_t \rho_2 = D_2 \Delta \rho_2 - \nabla \cdot (v_2 \rho_2) + \lambda(n) \cdot \rho_2$$

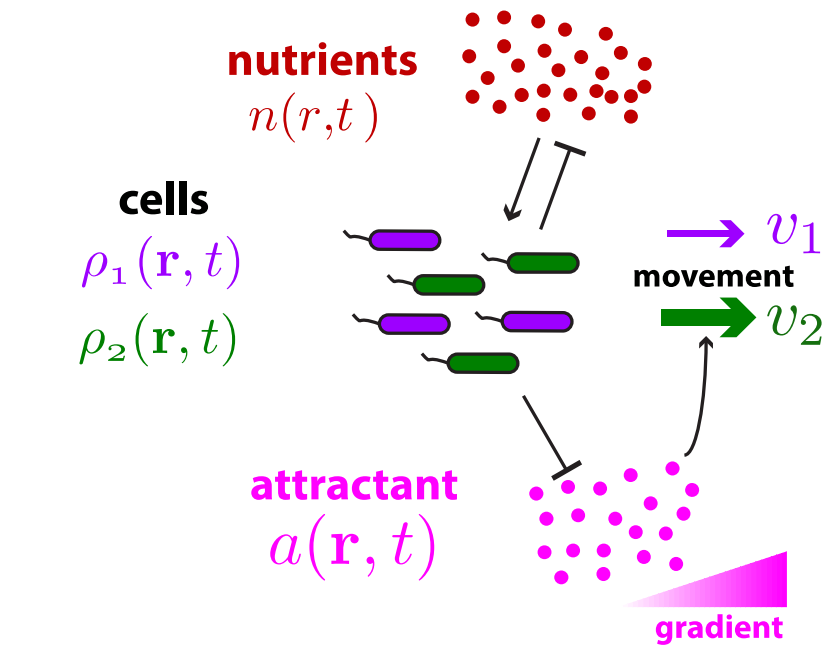
$$v_{1,2} = c_{1,2} \nabla \log \left(\frac{1 + a/K_I}{1 + a/K_A} \right)$$

$$\partial_t a = D_0 \Delta a - \mu(a) \cdot (\rho_1 + \rho_2)$$

$$\partial_t n = D_0 \Delta n - \lambda(n) \cdot (\rho_1 + \rho_2) / Y_n$$



Modeling dynamics



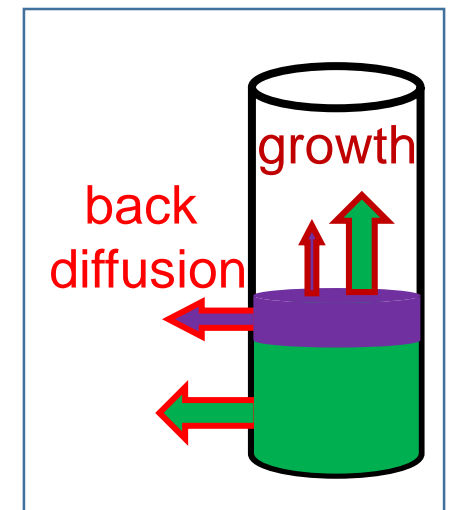
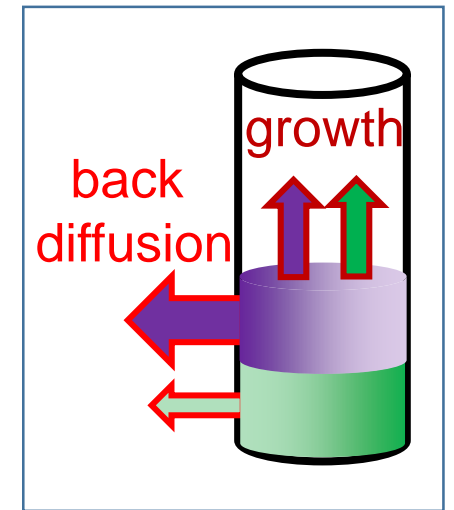
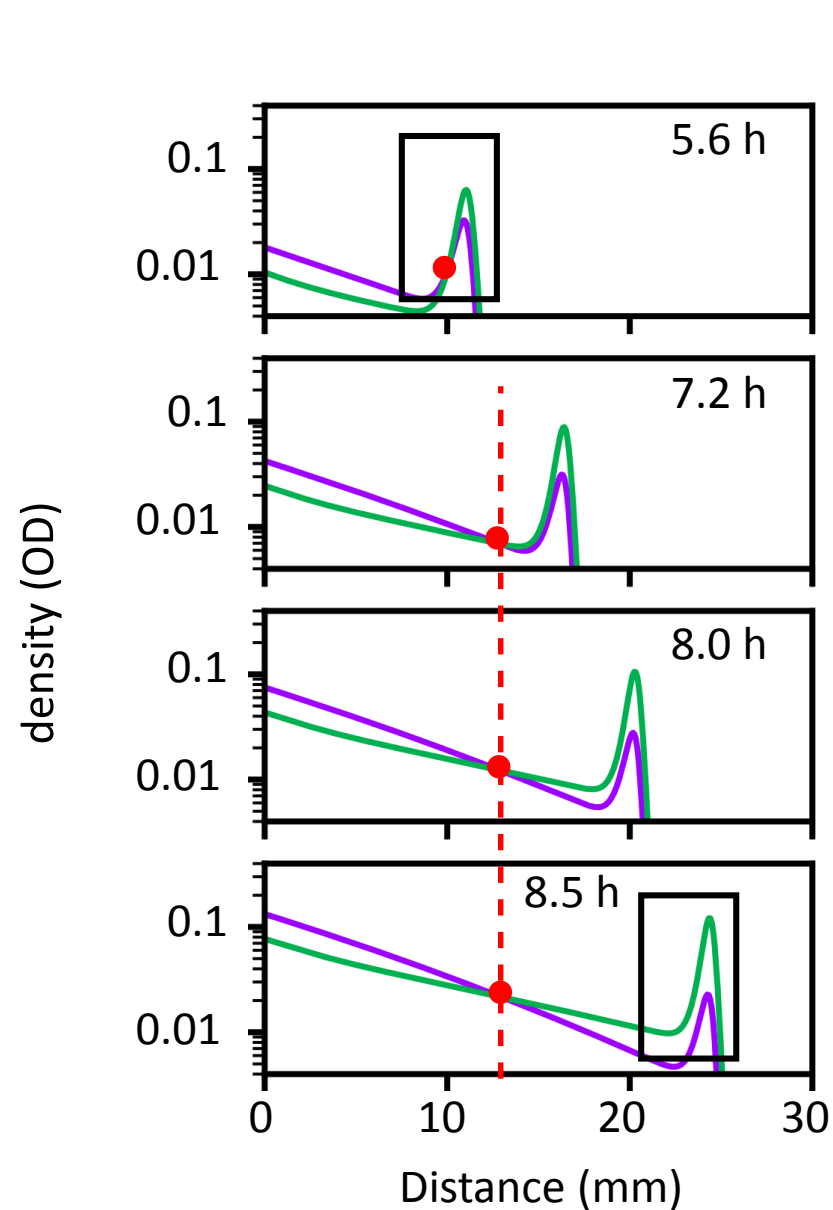
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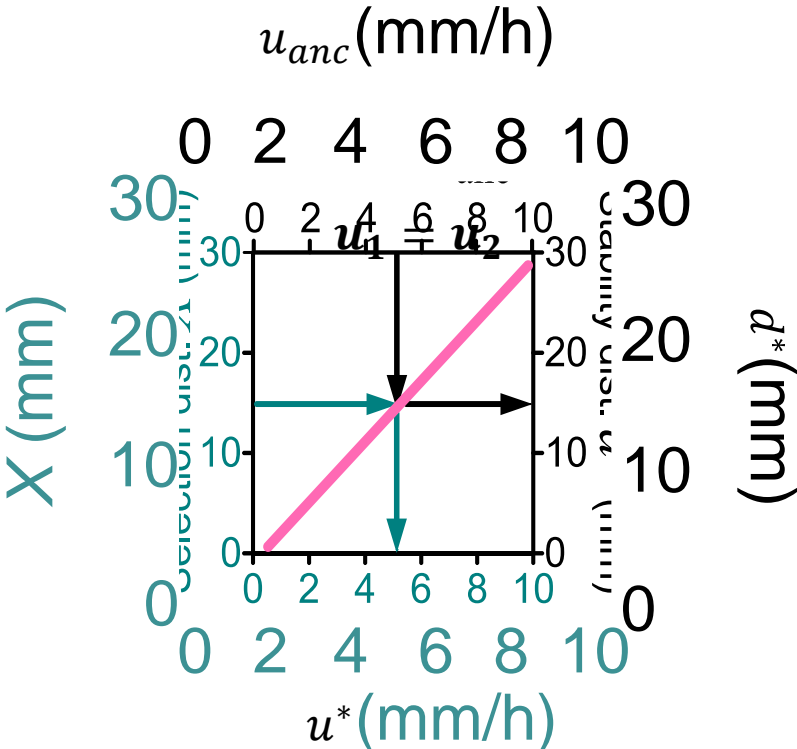
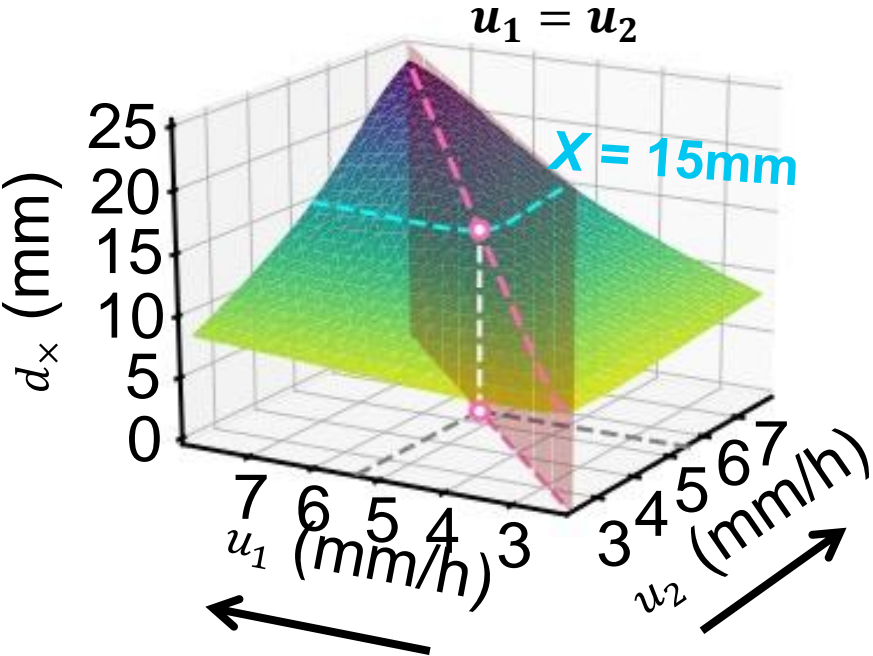
$$\partial_t a = D_0 \Delta a - \mu(a) \cdot (\rho_1 + \rho_2)$$

$$\partial_t n = D_0 \Delta n - \lambda(n) \cdot (\rho_1 + \rho_2) / Y_n$$



Stable attractor of evolution

analyzing different expansion speeds



predicted stable attractor:

$$u^*(X) \propto X \cdot \lambda.$$

stable expansion speed position growth-rate

Test model prediction

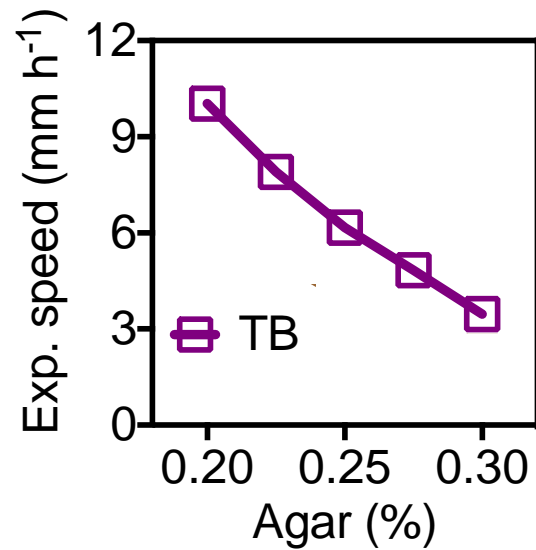
predicted stable attractor:

$$u^*(X) \propto X \cdot \lambda.$$

stable expansion speed

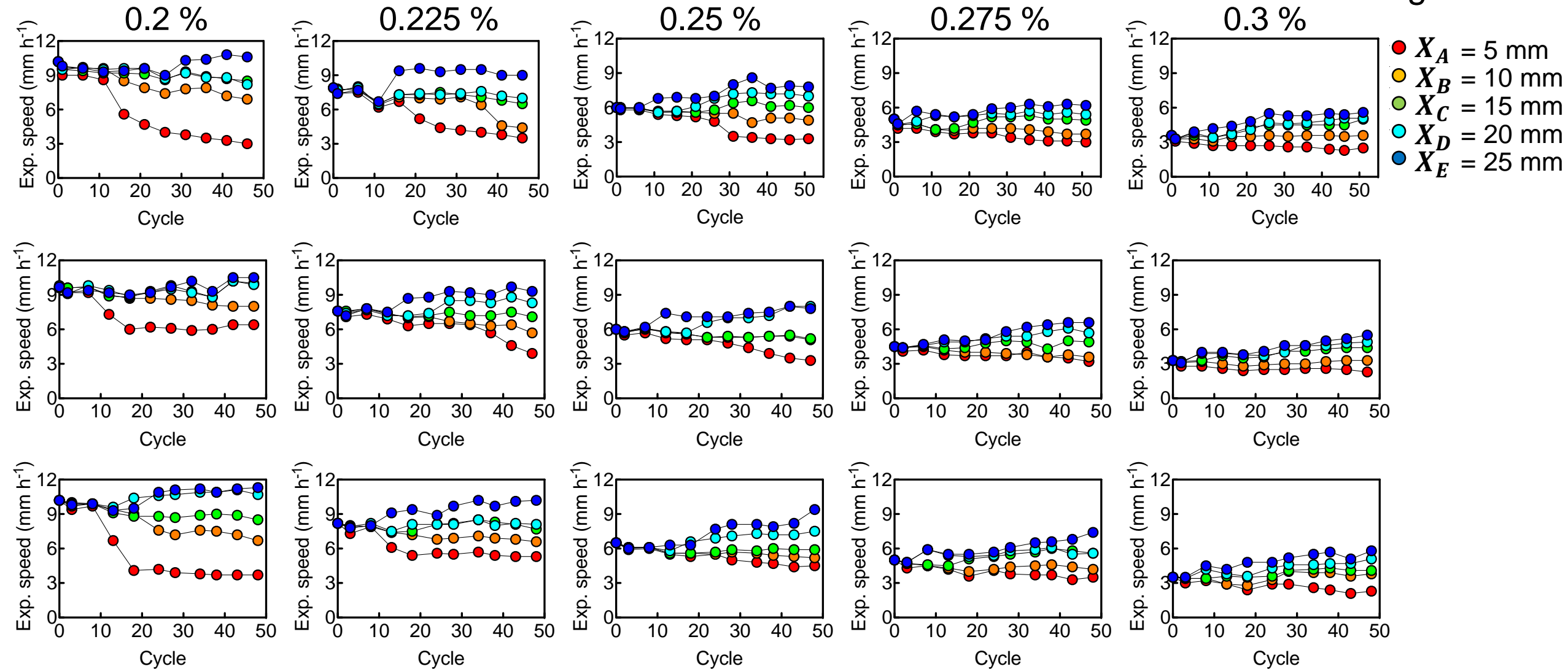
position

growth-rate



Evolution in different agar concentrations

Agar %



Test model prediction

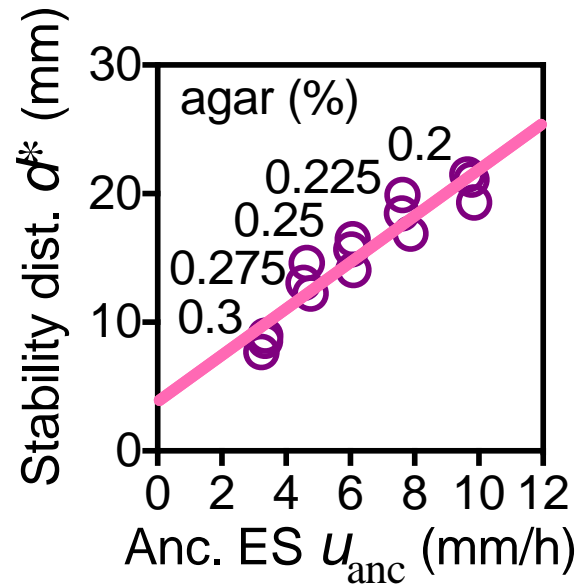
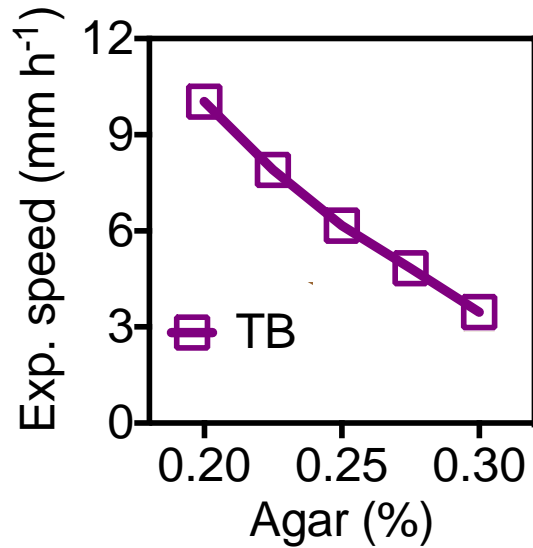
predicted stable attractor:

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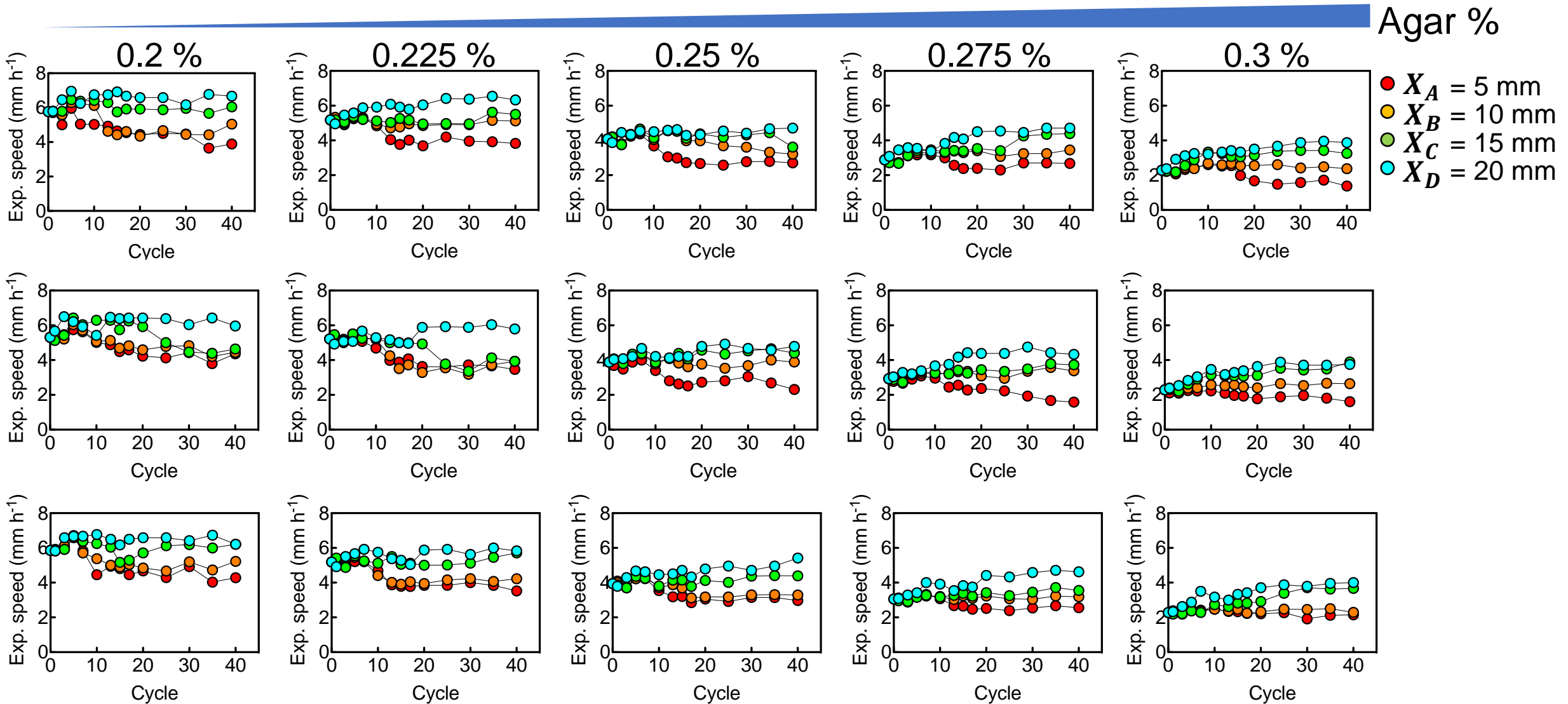
stable expansion speed

position

growth-rate



Evolution in Casamino acids (slower growth)



Test model prediction

predicted stable attractor:

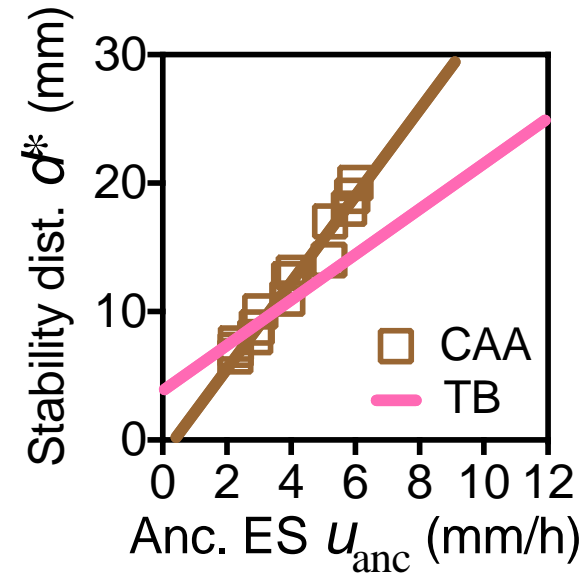
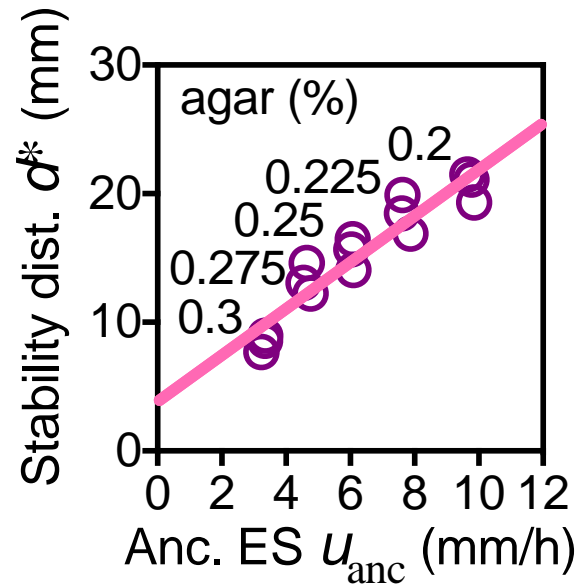
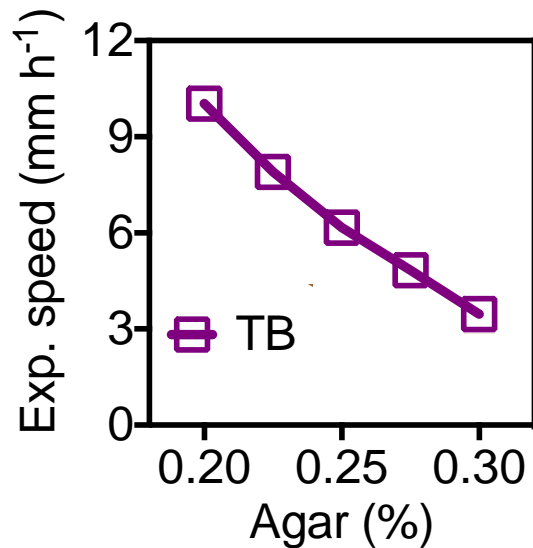
$$u^*(X) \propto X \cdot \lambda.$$



stable expansion speed

position

growth-rate

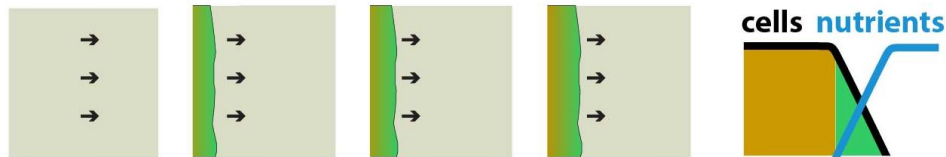


Summary: Chemotaxis as growth strategy to thrive in nutrient-replete environments

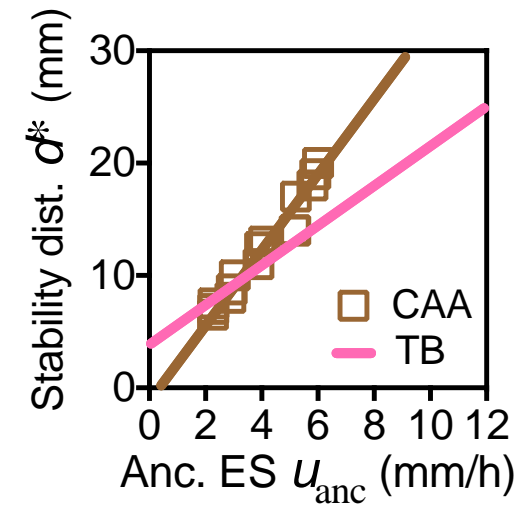
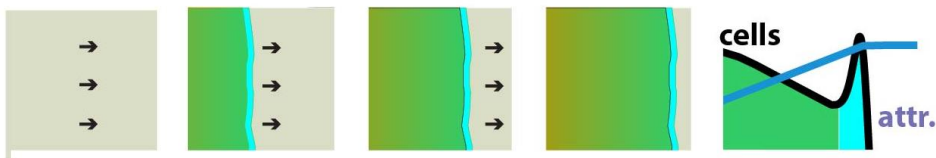
Consumption of non-nutritious attractants leads to fast expansion and is an effective strategy to boost colonization into nutrient replete environments

Competition leads to an optimal expansion speed which depends on habitat size

unguided range expansion (FK)



navigated range expansion (chemotaxis)



$$u^*(X) \propto X \cdot \lambda$$

stable expansion speed size growth-rate

Cremer, Honda, Tang, Wong-Ng, Vergassola, Hwa. Nature (2019)

Liu, Cremer, Li, Hwa, Liu. Nature (2019)

Thank you for your attention!

Postdoc positions available. Contact me for further details.